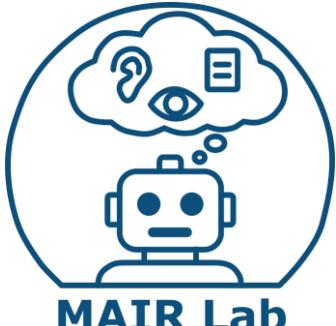


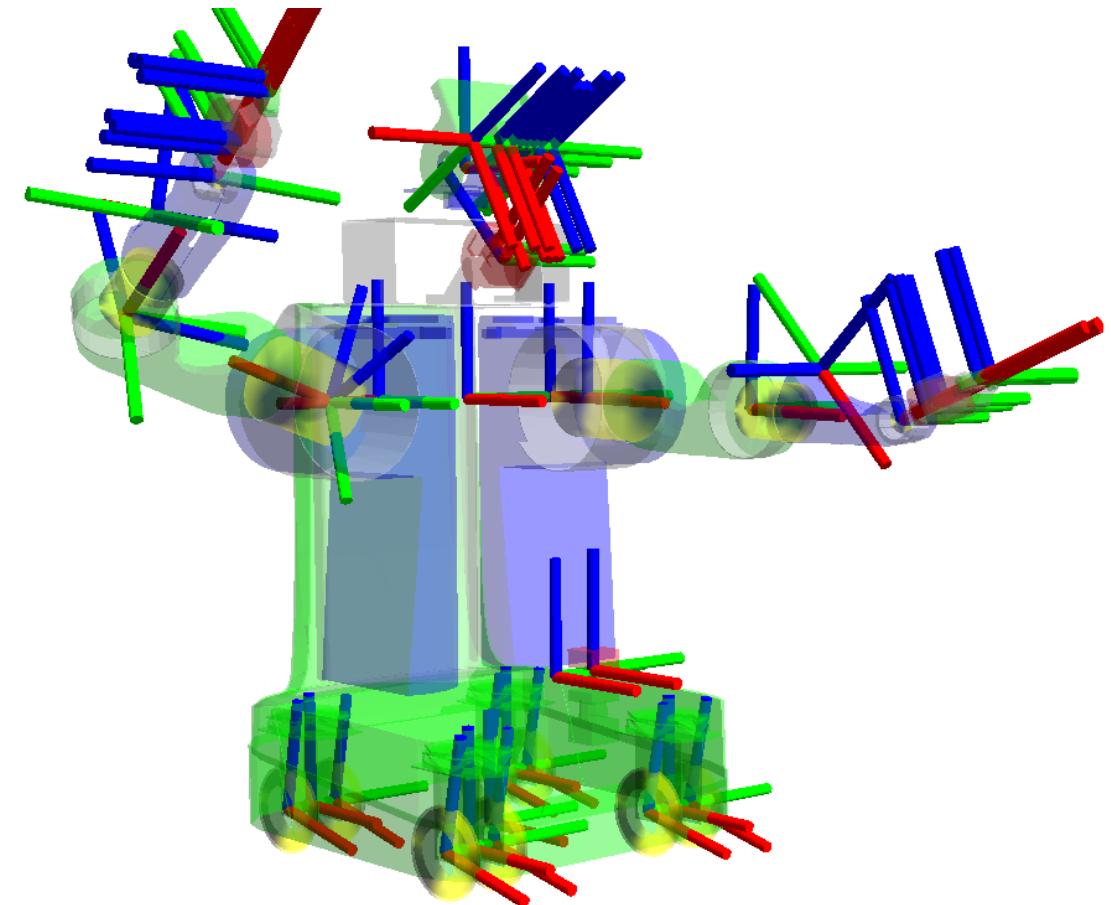
# ROS2: TF2

운영체제의 실제  
안인규 (Inkyu An)



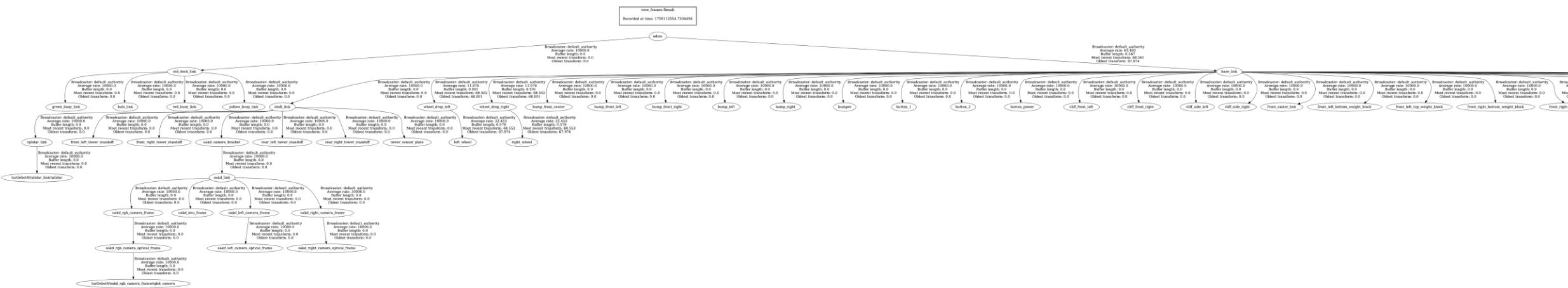
# TF2

- A robot is made up of many parts and sensors (a body, wheels, arms, cameras, and LiDAR)
- Each of these has its own unique coordinate frame
  - “an object is located 1 meter in front of the camera,”
  - “the camera is mounted 20 cm above the center of the body.”
  - “So how far is the object from the robot’s body center?”
- We need to understand the **geometric relationships (translations and rotations)** between the coordinate frames.



# TF2

- **tf2** is the standard library that manages and computes these complex coordinate frame relationships in real time
- It organizes all coordinate frame information of the robot into a single tree structure, enabling easy transformation of points or data from any coordinate frame to another



# TF2

- Running the demo:

```
$ sudo apt-get install ros-humble-rviz2 ros-humble-turtle-tf2-py ros-humble-tf2-ros  
ros-humble-tf2-tools ros-humble-turtlesim  
$ ros2 launch turtle_tf2_py turtle_tf2_demo.launch.py
```

- In the second terminal window, type the following command:

```
$ ros2 run turtlesim turtle_teleop_key
```

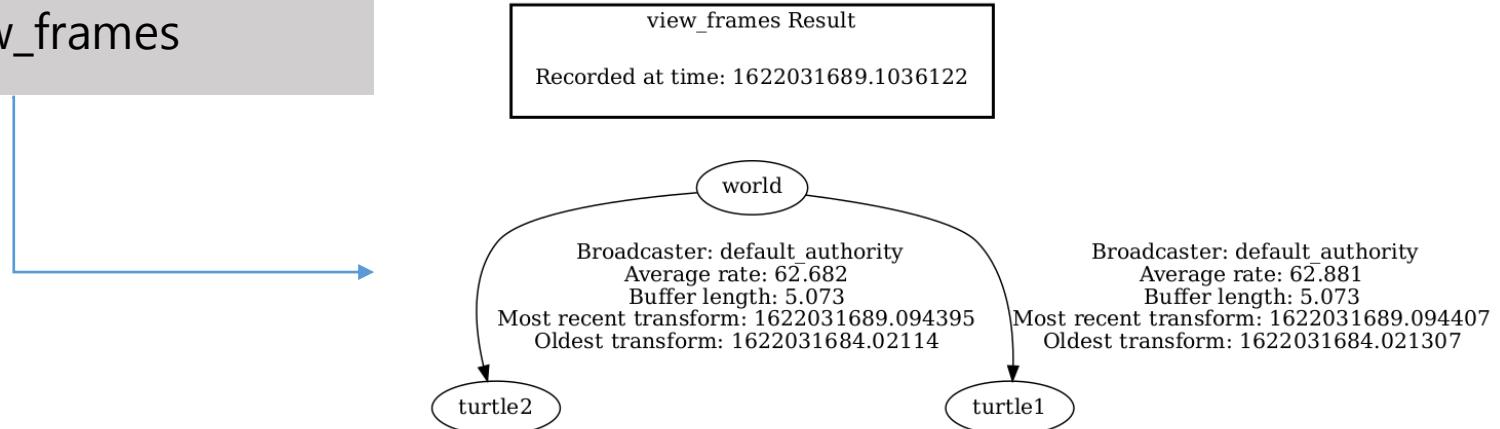
- We can drive the turtle using the keyboard arrows keys
- We can also see that one turtle continuously moves to follow the turtle you are driving around



# TF2

- What is happening?
  - This demo is using tf2 library to create three coordinate frames: a world frame, a turtle1 frame, and a turtle2 frame
  - The tf2 broadcaster publishes the turtle coordinate frame and a tf2 listener to compute the difference in the turtle frames and move one turtle to follow the other
- Use tf2 tools to look at what tf2 is doing behind the scenes:

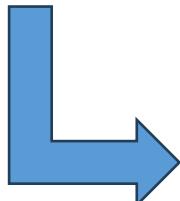
```
$ ros2 run tf2_tools view_frames
```



# TF2

- Use tf2\_echo
  - tf2\_echo reports the transform between any two frames broadcast over ROS:

```
$ ros2 run tf2_ros tf2_echo [source_fram] [target_fram]
```



```
$ ros2 run tf2_ros tf2_echo turtle2 turtle1
At time 1683385337.850619099
- Translation: [2.157, 0.901, 0.000]
- Rotation: in Quaternion [0.000, 0.000, 0.172, 0.985]
- Rotation: in RPY (radian) [0.000, -0.000, 0.345]
- Rotation: in RPY (degree) [0.000, -0.000, 19.760]
- Matrix:
  0.941 -0.338  0.000  2.157
  0.338  0.941  0.000  0.901
  0.000  0.000  1.000  0.000
  0.000  0.000  0.000  1.000
At time 1683385338.841997774
- Translation: [1.256, 0.216, 0.000]
- Rotation: in Quaternion [0.000, 0.000, -0.016, 1.000]
- Rotation: in RPY (radian) [0.000, 0.000, -0.032]
- Rotation: in RPY (degree) [0.000, 0.000, -1.839]
- Matrix:
  0.999  0.032  0.000  1.256
 -0.032  0.999 -0.000  0.216
 -0.000  0.000  1.000  0.000
  0.000  0.000  0.000  1.000
```

# TF2

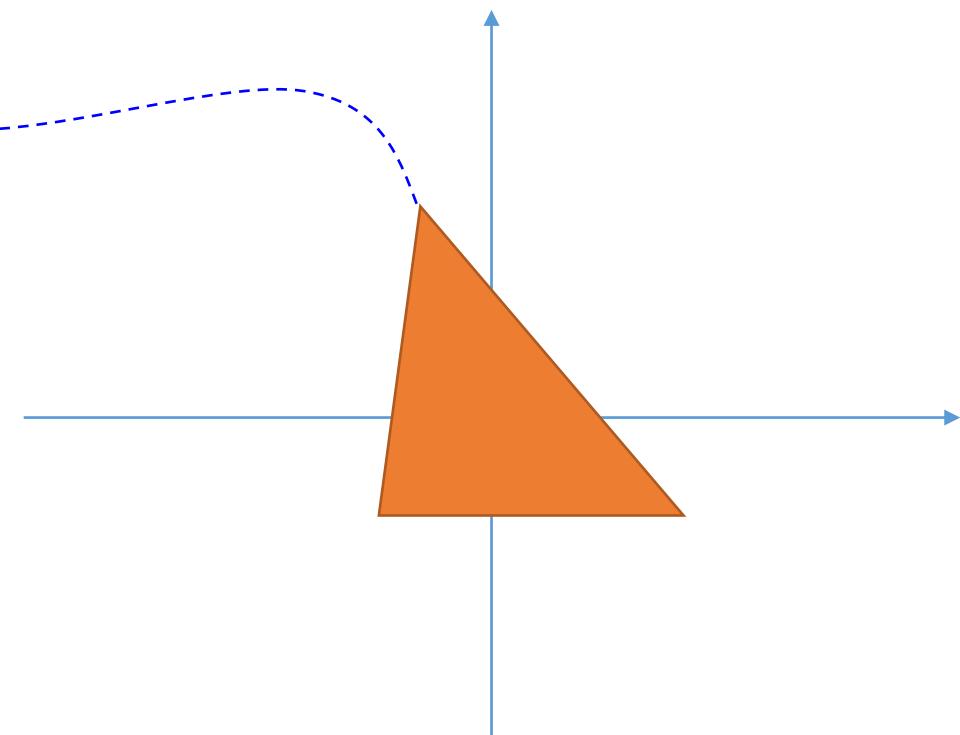
- What is the Matrix (=Transformation Matrix)

- Matrix:

$$\begin{bmatrix} 0.999 & 0.032 & 0.000 & 1.256 \\ -0.032 & 0.999 & -0.000 & 0.216 \\ -0.000 & 0.000 & 1.000 & 0.000 \\ 0.000 & 0.000 & 0.000 & 1.000 \end{bmatrix}$$

- $T = \begin{bmatrix} R & t \\ 0 & 1 \end{bmatrix}$ , transform matrix
  - $R$ :  $3 \times 3$  rotation matrix
  - $t = [a_x, a_y, a_z]^T$ , translation vector

- Given a point  $p = [x_1, y_1, z_1, 1]^T$ ,
- $p' = T \cdot p$



# TF2

- What is the Matrix (=Transformation Matrix)

- Matrix:

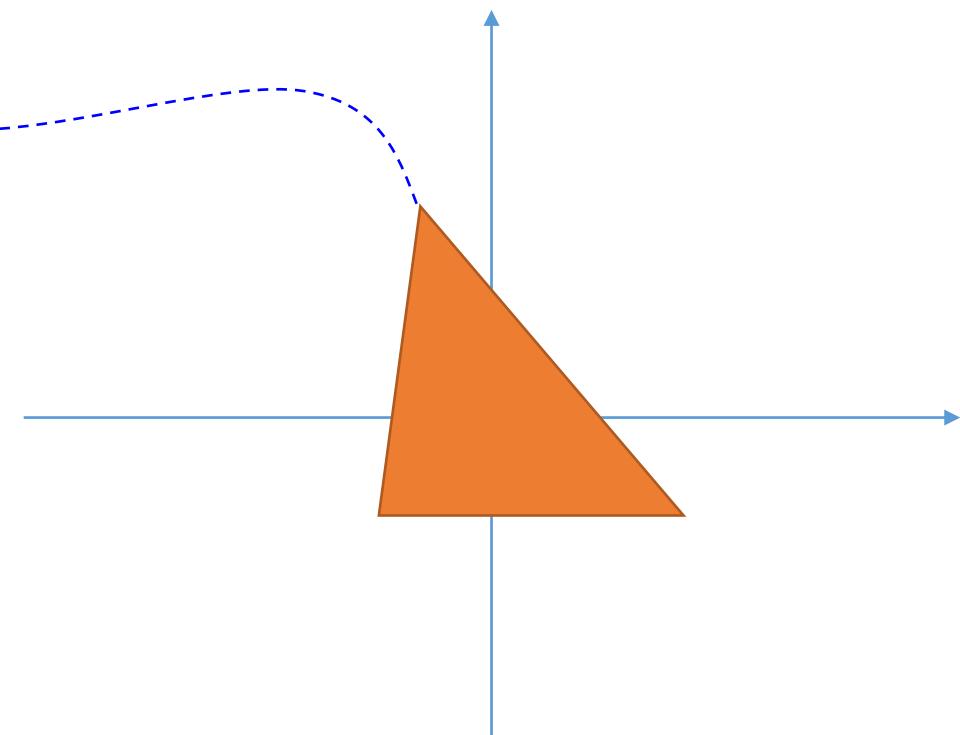
$$\begin{bmatrix} 0.999 & 0.032 & 0.000 & 1.256 \\ -0.032 & 0.999 & -0.000 & 0.216 \\ -0.000 & 0.000 & 1.000 & 0.000 \\ 0.000 & 0.000 & 0.000 & 1.000 \end{bmatrix}$$

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- Given a point  $p = [x_1, y_1, z_1, 1]^T$ ,

- $p' = T \cdot p$

$$p' = \begin{bmatrix} R & t \\ 0 & 1 \end{bmatrix} \cdot \begin{bmatrix} p_1 \\ 1 \end{bmatrix} = \begin{bmatrix} R \cdot p_1 + t \\ 1 \end{bmatrix}$$



# TF2

- What is the Matrix (=Transformation Matrix)

- Matrix:

$$\begin{bmatrix} 0.999 & 0.032 & 0.000 & 1.256 \\ -0.032 & 0.999 & -0.000 & 0.216 \\ -0.000 & 0.000 & 1.000 & 0.000 \\ 0.000 & 0.000 & 0.000 & 1.000 \end{bmatrix}$$

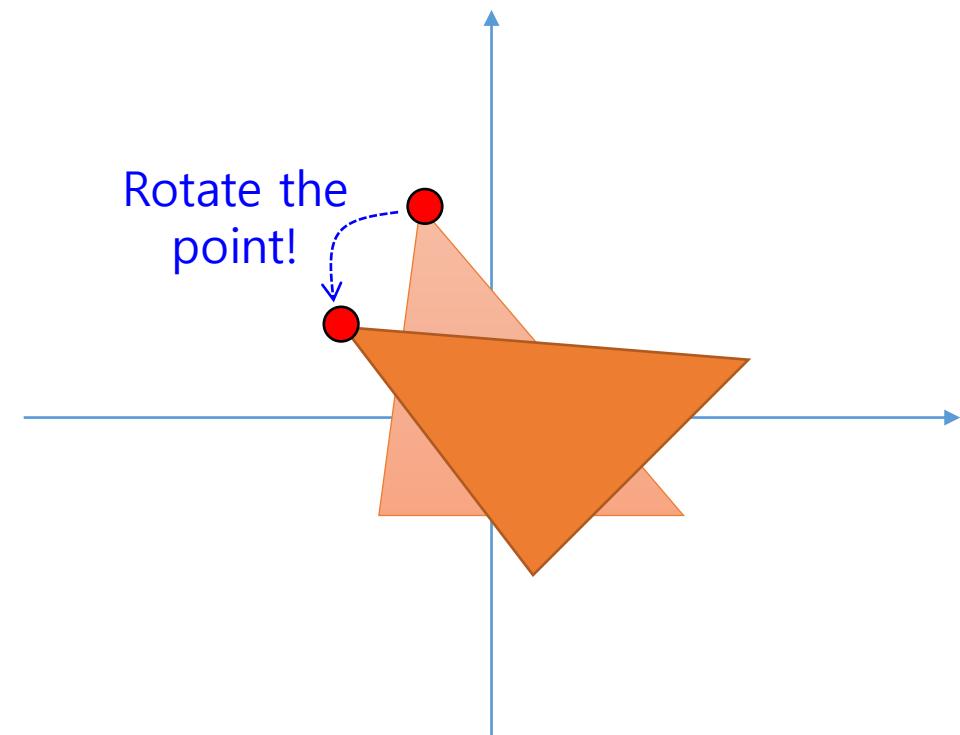
- $T = \begin{bmatrix} R & t \\ 0 & 1 \end{bmatrix}$ , transform matrix
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Apply the rotation  
matrix

$$p' = \begin{bmatrix} R & t \\ 0 & 1 \end{bmatrix} \cdot \begin{bmatrix} p_1 \\ 1 \end{bmatrix} = \begin{bmatrix} R \cdot p_1 + t \\ 1 \end{bmatrix}$$



# TF2

- What is the Matrix (=Transformation Matrix)

- Matrix:

$$\begin{bmatrix} 0.999 & 0.032 & 0.000 & 1.256 \\ -0.032 & 0.999 & -0.000 & 0.216 \\ -0.000 & 0.000 & 1.000 & 0.000 \\ 0.000 & 0.000 & 0.000 & 1.000 \end{bmatrix}$$

- $T = \begin{bmatrix} R & t \\ 0 & 1 \end{bmatrix}$ , transform matrix
  - $R$ :  $3 \times 3$  rotation matrix
  - $t = [a_x, a_y, a_z]^T$ , translation vector

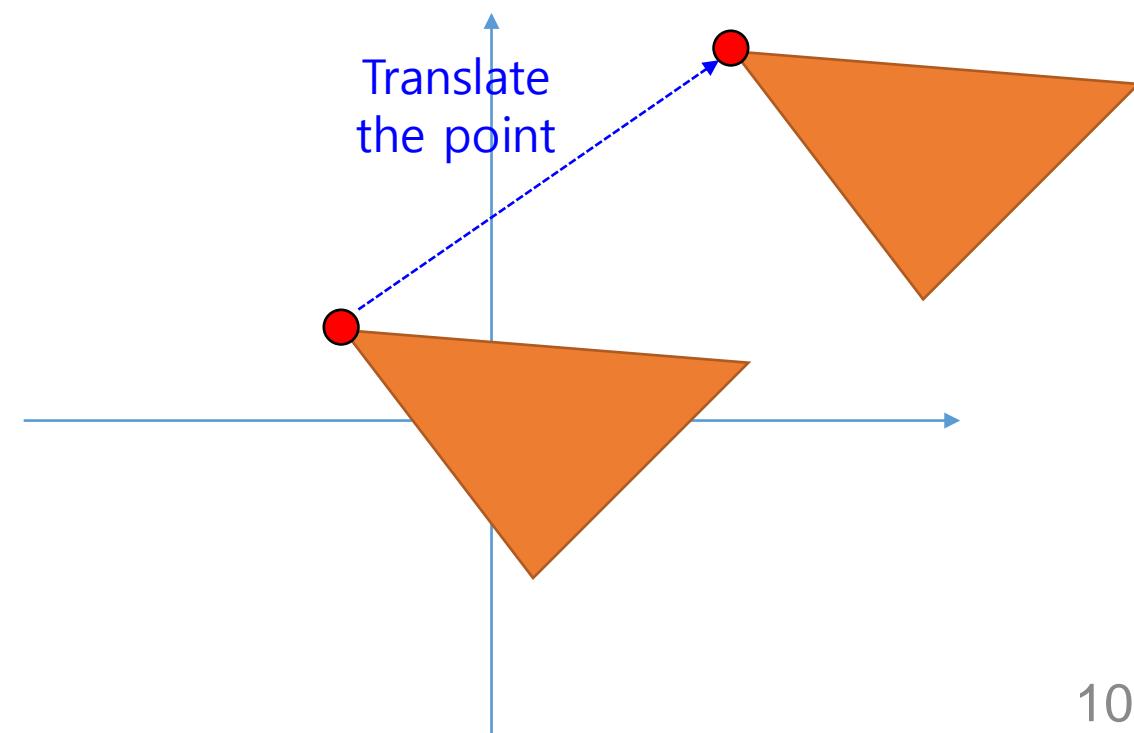
- Given a point  $p = [x_1, y_1, z_1, 1]^T$ ,

- $p' = T \cdot p$

Apply the rotation  
matrix

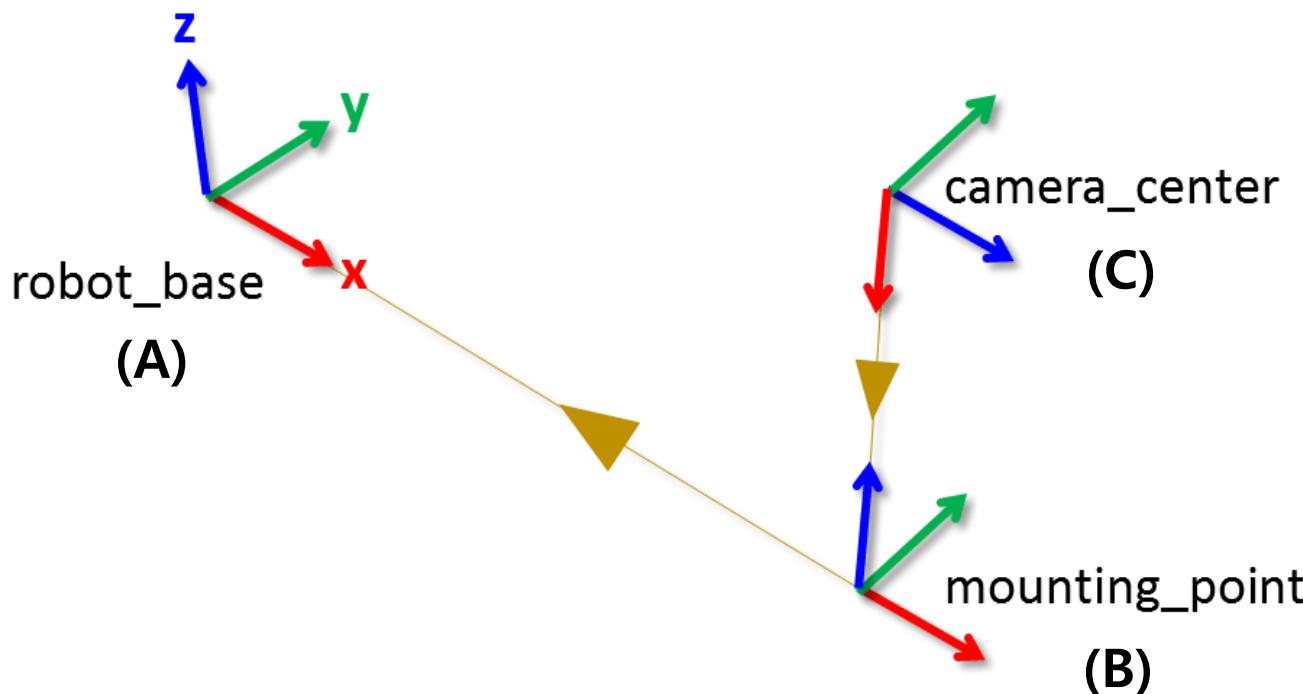
$$p' = \begin{bmatrix} R & t \\ 0 & 1 \end{bmatrix} \cdot \begin{bmatrix} p_1 \\ 1 \end{bmatrix} = \begin{bmatrix} R \cdot p_1 + t \\ 1 \end{bmatrix}$$

Apply the  
translation vector



# TF2

- What is the Matrix (=Transformation Matrix)
  - In TF2, a transformation matrix is used for coordinate transformation
    - **Chain of transformations**
    - $T_{C \rightarrow A} = T_{C \rightarrow B} \cdot T_{B \rightarrow A}$

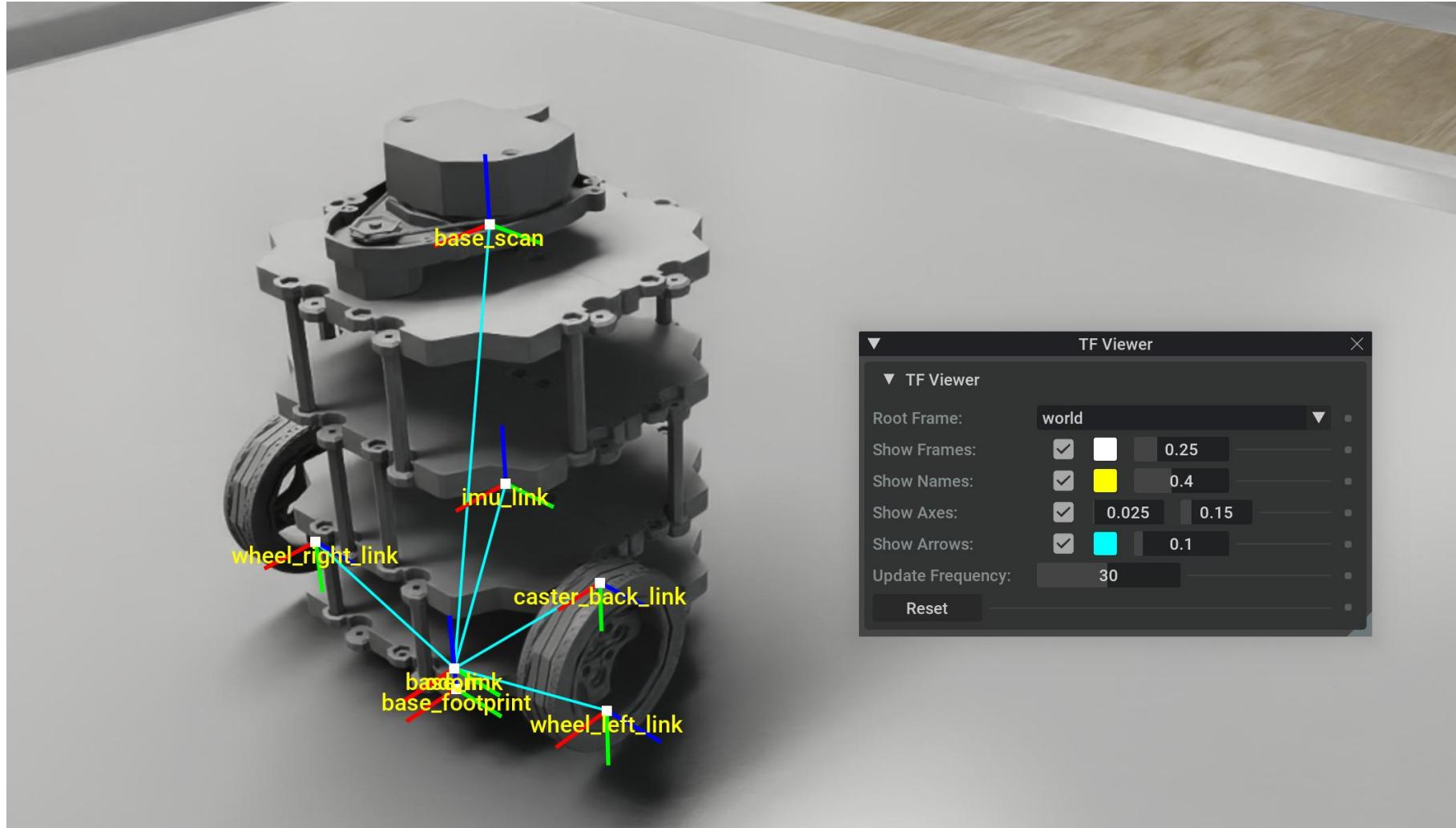


ROS2에서는,  
x: 로봇이 바라보는 방향  
y: 로봇의 좌측  
z: 로봇의 위측

# TF2

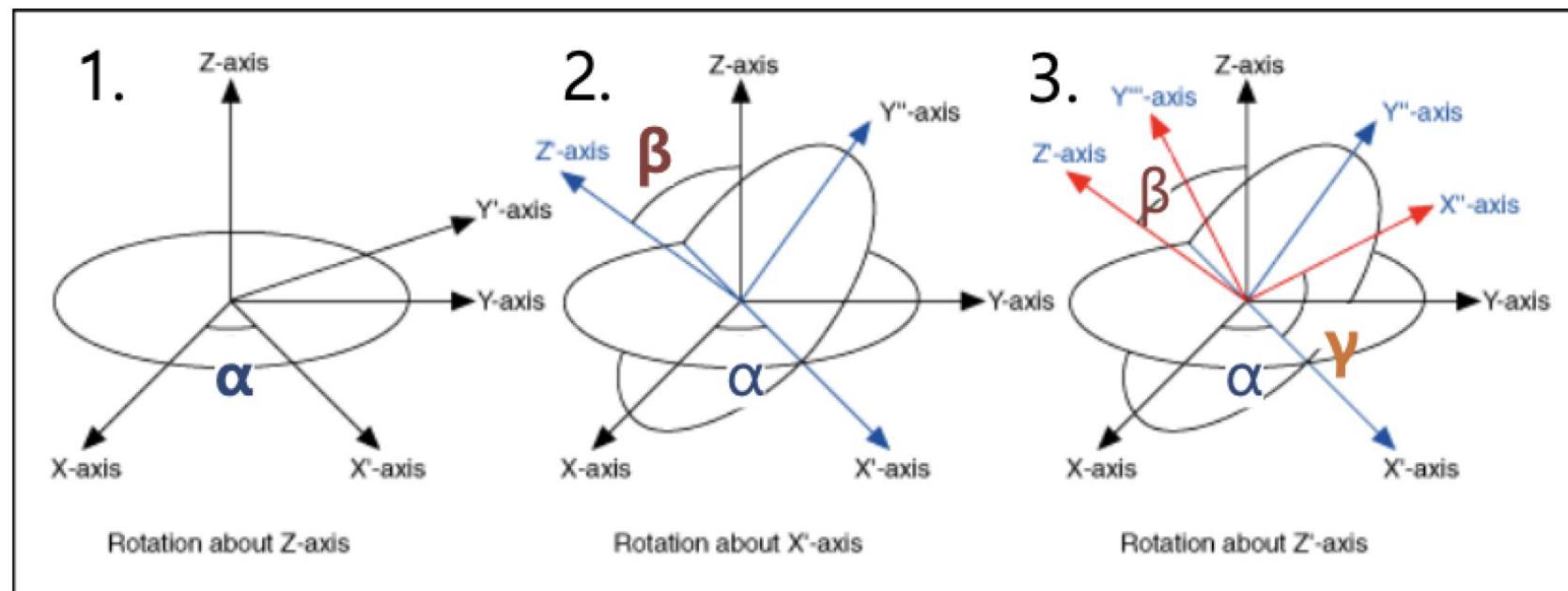
- What is the Matrix (=Transformation Matrix)

- I



# TF2

- How to compute the rotation matrix



$$R = \begin{bmatrix} \cos \alpha & -\sin \alpha & 0 \\ \sin \alpha & \cos \alpha & 0 \\ 0 & 0 & 1 \end{bmatrix} \begin{bmatrix} 1 & 0 & 0 \\ 0 & \cos \beta & -\sin \beta \\ 0 & \sin \beta & \cos \beta \end{bmatrix} \begin{bmatrix} \cos \gamma & -\sin \gamma & 0 \\ \sin \gamma & \cos \gamma & 0 \\ 0 & 0 & 1 \end{bmatrix}$$

$$R =$$

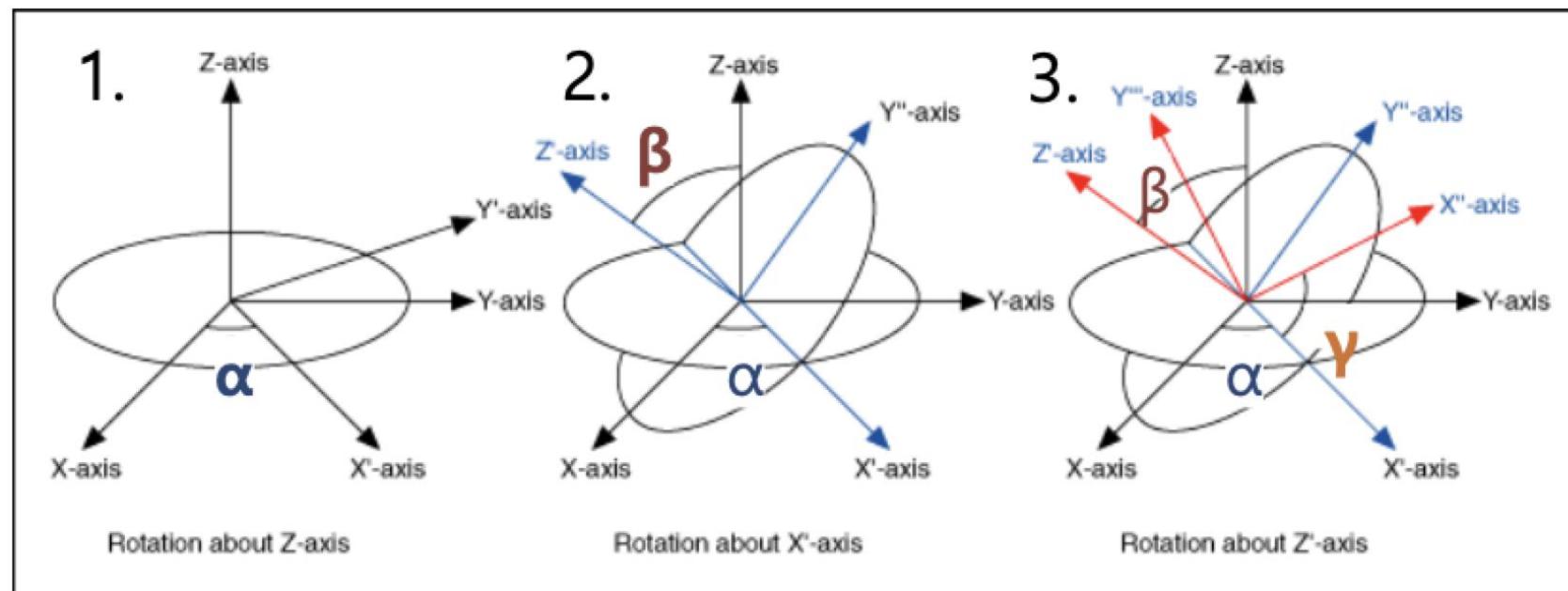
$$R_z(\alpha)$$

$$R_x(\beta)$$

$$R_z(\gamma)$$

# TF2

- How to compute the rotation matrix



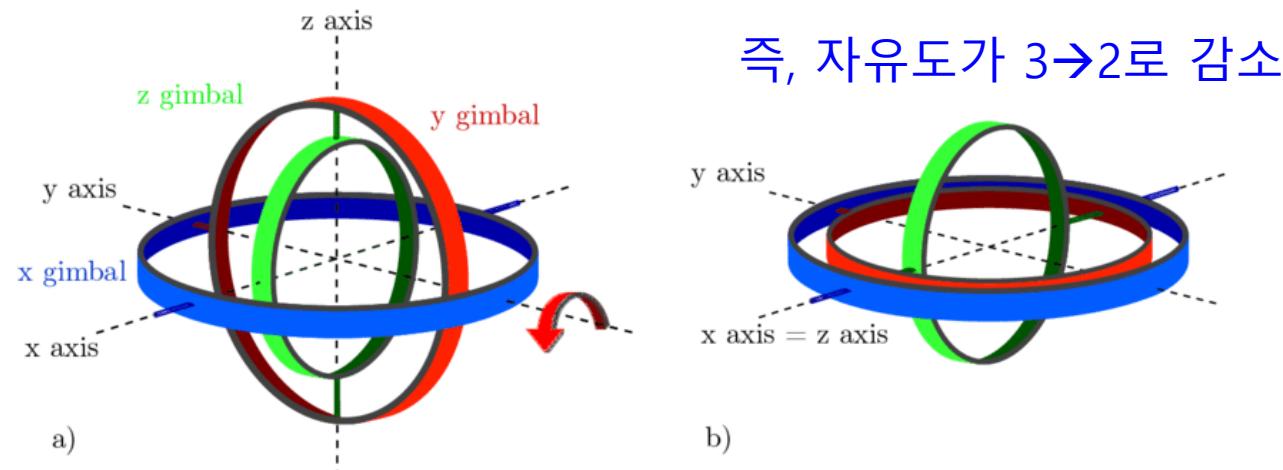
$$R = \begin{bmatrix} \cos \alpha & -\sin \alpha & 0 \\ \sin \alpha & \cos \alpha & 0 \\ 0 & 0 & 1 \end{bmatrix} \begin{bmatrix} 1 & 0 & 0 \\ 0 & \cos \beta & -\sin \beta \\ 0 & \sin \beta & \cos \beta \end{bmatrix} \begin{bmatrix} \cos \gamma & -\sin \gamma & 0 \\ \sin \gamma & \cos \gamma & 0 \\ 0 & 0 & 1 \end{bmatrix}$$

**Roll**      **Pitch**      **Yaw**

$$R = R_z(\alpha) \quad R_x(\beta) \quad R_z(\gamma)$$

# TF2

- How to compute the rotation matrix
- The problems with using Roll, Pitch, and Yaw (Euler angles)
  - Discontinuity:
    - Euler angles ( $-180^\circ \sim +180^\circ$ )
    - E.g.,  $+180^\circ \rightarrow +181^\circ = -179^\circ$
  - Gimbal lock



# TF2

- Quaternion

- $q = w + xi + yj + zk$

$$w = \cos\left(\frac{\theta}{2}\right),$$

$$(x, y, z) = (u_b, u_c, u_d) \sin\left(\frac{\theta}{2}\right)$$

- $w$ : scalar part

- $x, y, z$ : vector part

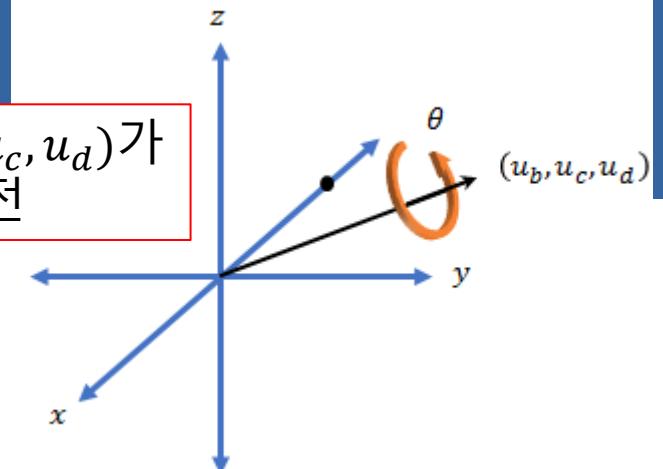
- A Unit Quaternion, which is a quaternion with a magnitude (or length) of 1, can represent a specific rotation in 3D space:

- $\bullet$  Euler angle (roll, pitch, yaw)  $\rightarrow$  Quaternion

- $\bullet$  Quaternion  $\rightarrow$  Rotation matrix

- $\bullet$  Rotation matrix + Translation vector  $\rightarrow$  Transformation matrix

Unit vector  $(u_b, u_c, u_d)$  가  
 $\theta$  만큼 회전



$$R = \begin{bmatrix} 1 - 2(y^2 + z^2) & 2(xy - zw) & 2(xz + yw) \\ 2(xy + zw) & 1 - 2(x^2 + z^2) & 2(yz - xw) \\ 2(xz - yw) & 2(yz + xw) & 1 - 2(x^2 + y^2) \end{bmatrix}$$

# TF2

- How does TF2 manage coordinate frames?
  - **Publishing static transforms** is useful to define the relationship between a robot based and its sensors or non-moving parts: [StaticTransformBroadcaster](#)
  - **Handling moving parts:** [TransformBroadcaster](#)
  - **Listening transforms:** [TransformListener](#)

**Download the source code & build it!**

- **Publishing static transforms:**

- After overlaying,

```
$ ros2 run turtle_tf2_py static_turtle_tf2_broadcaster mystaticturtle 0 0 1 0 0 0
```

- Echo the tf\_static topic:

```
$ ros2 topic echo /tf_static
```

```
$ ros2 topic echo /tf_static
transforms:
- header:
  stamp:
    sec: 1622908754
    nanosec: 208515730
  frame_id: world
  child_frame_id: mystaticturtle
  transform:
    translation:
      x: 0.0
      y: 0.0
      z: 1.0
    rotation:
      x: 0.0
      y: 0.0
      z: 0.0
      w: 1.0
```

- **Publishing static transforms:**

- We can publish static transforms using the CLI command:

```
$ ros2 run tf2_ros static_transform_publisher --x 0 --y 0 --z 1 --qx 0 --qy 0 --qz 0 --
qw 1 --frame-id world --child-frame-id mystaticturtle
```

- Launch file:

```
from launch import LaunchDescription
from launch_ros.actions import Node

def generate_launch_description():
    return LaunchDescription([
        Node(
            package='tf2_ros',
            executable='static_transform_publisher',
            arguments=[
                '--x', '0', '--y', '0', '--z', '1',
                '--yaw', '0', '--pitch', '0', '--roll',
                '0', '--frame-id', 'world', '--child-frame-id', 'mystaticturtle'
            ],
        )
    ])
```

# TF2

- **Handling moving parts & Listening transforms:**

- After overlaying,

```
$ ros2 launch turtle_tf2_py turtle_tf2_demo.launch.py
```

- We can control one turtle and watch another one follow it:

```
$ ros2 run turtlesim turtle_teleop_key
```

```
t = self.tf_buffer.lookup_transform(  
    to_frame_rel,           → 'turtle2' coordinate (ref)  
    from_frame_rel,          → 'turtle1' coordinate (target)  
    rclpy.time.Time())
```

TF2를 듣는 부분

